



<b>1. Subject name</b>	<b>Analytical Methods in System Technique I.</b>				
<b>2. Subject name in Hungarian</b>	Analitikus módszerek a rendszertechnikában I.				
<b>3. Code</b>	<b>BMEKOVJD001</b>	<b>4. Evaluation type</b>	<b>exam grade</b>	<b>5. Credits</b>	<b>4</b>
<b>6. Weekly contact hours</b>	<b>2 (0) Lecture</b>	<b>0 (0) Practice</b>	<b>0 (0) Lab</b>		
<b>7. Curriculum</b>	<b>PhD Programme</b>	<b>8. Role</b>	<b>Basic course</b>		
<b>9. Working hours for fulfilling the requirements of the subject</b>					<b>120</b>
<b>Contact hours</b>	28	<b>Preparation for seminars</b>	30	<b>Homework</b>	15
<b>Reading written materials</b>	15	<b>Midterm preparation</b>	0	<b>Exam preparation</b>	32
<b>10. Department</b>	<b>Department of Aeronautics and Naval Architectures</b>				
<b>11. Responsible lecturer</b>	Dr. Zobory István				
<b>12. Lecturers</b>	Dr. Zobory István				
<b>13. Prerequisites</b>					
<b>14. Description of lectures</b>					
Sets. Basic number sets. Numerical sequences and numerical series. Convergency. Defining functions. Description of functions. Multivariate functions. Limit value, continuity and differentiability. Concept of Riemann-integral. Convergency concepts. Important function series: Taylor-series and Fourier-series. Basic numerical methods. Polynomial interpolations. Lagrange-interpolation, Hermite-interpolation and spline-interpolation. The method of least square. Numerical solution to algebraic equations. Method of intervallum-dividing. String-method. Section method. Tangent method. Successive approximation. Numerical integration. The Newton-Cotes procedure. The trapeze-rule. The Simpson-trule. Linear algebra and matrix calculus. Linear space. Linear sub-space. Linear independence. Generator-system. Basis. Scalar product. Orthonormality. Normed space. Metric space. Matrices and vectors. Standard basis. Description of the elements of the linear space by using different bases. Homogeneous linear mappings and their matrices. Rang of matrices. Basis-dependence of the matrix of a linear mapping. Matrix product. Determinants. Inverse matrix. Linear set of equations. Condition of solvability based on the rang of the coefficient matrix. The Gaussian algorithm. Improvement of the accuracy. Iterative methods. The accelerating algorithm of Seidel. Treatment of contradictory (principally not solvable) set of equations.					
<b>15. Description of practices</b>					
<b>16. Description of laboratory practices</b>					
<b>17. Learning outcomes</b>					
A. Knowledge B. Skills					
<ul style="list-style-type: none"> <li>Students must know comprehensively, interpret in a constructive way and apply in his research activities in an innovative way the following elements of analysis methods: examination procedures of single variate and multivariate functions; procedures for interpolation and numerical integration; methods of linear mapping; operations of matrix algebra; methods of solution to linear system of equations.</li> </ul>					
C. Attitudes D. Autonomy and Responsibility					
<ul style="list-style-type: none"> <li>Students must pursue to get knowledge of the new scientific results, the latter are applied with responsibility and initiates new resource activities in new fields of knowledge in an innovative way.</li> </ul>					
<b>18. Requirements, way to determine a grade (obtain a signature)</b>					
Accepted homework sent before the deadline and written exam.					
<b>19. Opportunity for repeat/retake and delayed completion</b>					
According to the TVSZ.					
<b>20. Learning materials</b>					
1. Zobory, I.: Analitikus módszerek a rendszertechnikában I. Egyetemi jegyzet. BME Vasúti Járművek és Járműrendszeranalízis Tanszék. Budapest, 2011.					
2. Rudin, W.: A matematikai analízis alapjai. Tipotex Kft., Budapest, 2010.					

<b>Effective date</b>	27 November 2019	<b>This Subject Datasheet is valid for</b>	Inactive courses
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